

d-world^{11,40}

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d-world( $D; v; sched; dec; discrete$ )
 $\equiv_{\text{def}}$  <  $\lambda i, x. M(i).ds(x)$ 
      ,  $\lambda i, a. M(i).da(\text{locl}(a))$ 
      ,  $\lambda l, tg. M(\text{source}(l)).dout(l, tg)$ 
      ,  $\lambda i, t. \text{if } (t =_0 0)$ 
      then  $\lambda x. M(i).init(x)?v(i, x)$ 
      else  $(CV(d\text{-comp}(D; v; sched; dec; discrete))((t - 1), i)).1$ 
      fi
      ,  $\lambda i, t. ((CV(d\text{-comp}(D; v; sched; dec; discrete)))(t, i)).2.1$ 
      ,  $\lambda i, t. (CV(d\text{-comp}(D; v; sched; dec; discrete)))(t, i).2.2$ 
      ,  $\lambda i. d\text{-machine}(i; M(i); dec(i))$ 
      ,  $discrete$ 
      ,  $\cdot >$ 

```

clarification:

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d-world{i:l}
      ( $D; v; sched; dec; discrete$ )
 $\equiv_{\text{def}}$  <  $\lambda i, x. d\text{-m}(D; i).ds(x)$ 
      ,  $\lambda i, a. d\text{-m}(D; i).da(\text{locl}(a))$ 
      ,  $\lambda l, tg. d\text{-m}(D; \text{source}(l)).dout(l, tg)$ 
      ,  $\lambda i, t. \text{if } (t =_0 0)$ 
      then  $\lambda x. d\text{-m}(D; i).init(x)?v(i, x)$ 
      else  $(CV(d\text{-comp}(D; v; sched; dec; discrete))((t - 1), i)).1$ 
      fi
      ,  $\lambda i, t. ((CV(d\text{-comp}(D; v; sched; dec; discrete)))(t, i)).2.1$ 
      ,  $\lambda i, t. (CV(d\text{-comp}(D; v; sched; dec; discrete)))(t, i).2.2$ 
      ,  $\lambda i. d\text{-machine}(i; d\text{-m}(D; i); dec(i))$ 
      ,  $discrete$ 
      ,  $\cdot >$ 

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